

Have Financial Markets Become More Informative?

Alexi Savov

with

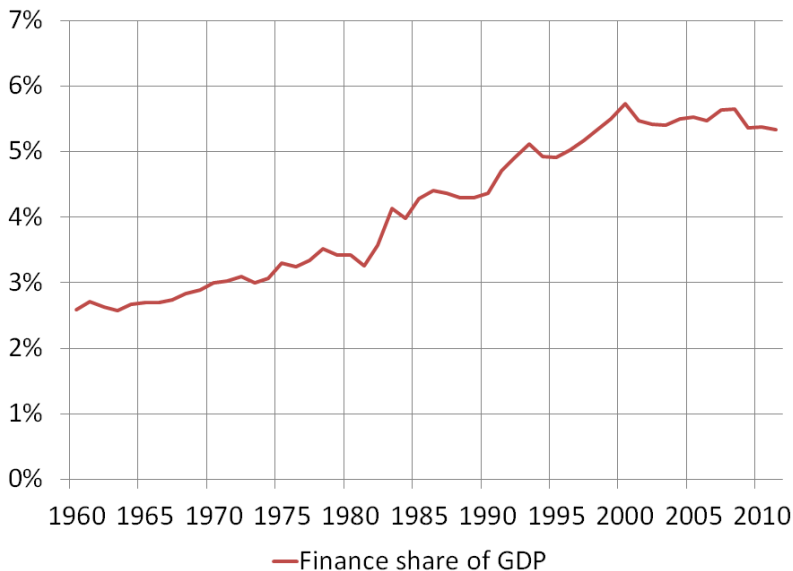
Jennie Bai and Thomas Philippon



NYU Stern

Research Day 2012

The growth of the financial sector



The role of the financial sector

The allocation of capital

Risk-sharing

Consumption-smoothing

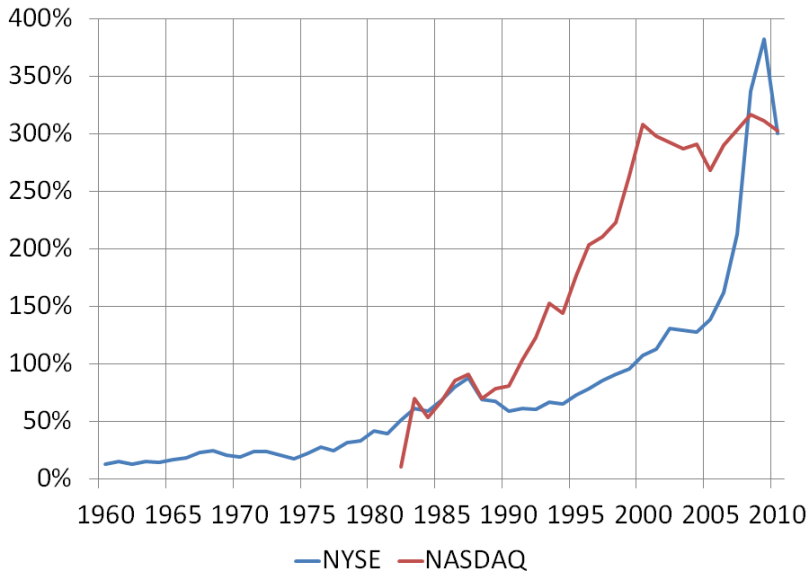
The role of the financial sector

The allocation of capital

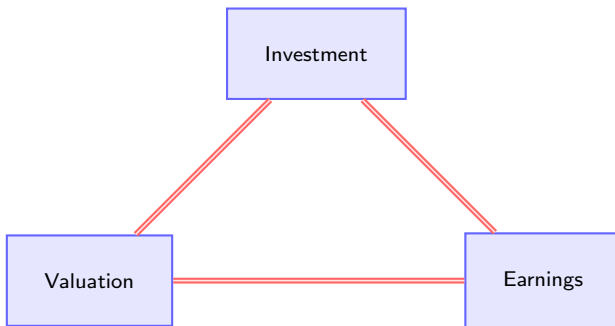
Risk-sharing

Consumption-smoothing

Trading volume (annual turnover)



The allocation of capital



Framework 1: Exogenous information (q – theory)

Two firms, A and B :

$$i_A - i_B = \frac{q_A - q_B}{\gamma} = \frac{E[z_A] - E[z_B]}{\gamma(1+r)}$$

- 1 Tobin's q predicts future earnings z
- 2 Investment i is explained by q
- 3 Investment i predicts future earnings z

Framework 1: Welfare

- Wealth is increasing in the standard deviation of the predictable component of earnings $\sigma_{E[z]}$:

$$V \equiv \int_i v_i = \frac{1}{2\gamma} \left[\left(\frac{\bar{z}}{1+r} - 1 \right)^2 + \left(\frac{\sigma_{E[z]}}{1+r} \right)^2 \right]$$

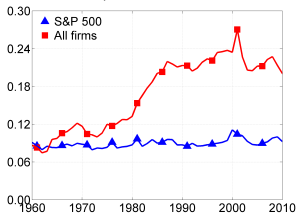
v_i : value of firm i
 $\bar{z}$: average earnings

- Information $\Rightarrow$ the **option** to invest.
- Links **price dispersion** and **welfare**.

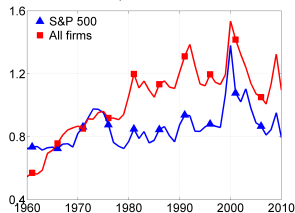
S&P 500 versus all firms

$$\frac{E_{i,t+3}}{A_{i,t}} = a_t \log \left(\frac{M_{i,t}}{A_{i,t}} \right) \times \mathbf{1}_t + b_t \left(\frac{E_{i,t}}{A_{i,t}} \right) \times \mathbf{1}_t + c_{s(i,t),t} (\mathbf{1}_{SIC1}) \times (\mathbf{1}_t) + \epsilon_{i,t}.$$

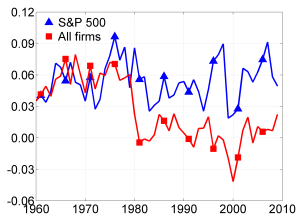
E/A dispersion



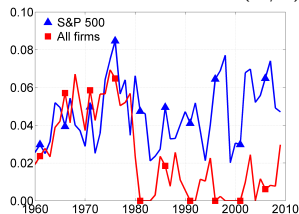
$\log M/A$ dispersion



Coefficients, a_t



Predicted variation, $a_t \times \sigma_t(M/A)$



Framework 2: Endogenous information (Kyle model)

- What is the link between financial development and the standard deviation of the predictable component?
- What does an increase in firm uncertainty imply about information production?
- What is the right measure of financial sector efficiency?

Regress future earnings on current prices

σ_s : signal strength σ_u : noise trader demand
 σ_v : overall volatility ψ : cost of information

Linear regression	Exogenous information	Endogenous information	If $\sigma_v \uparrow$	If $\psi \downarrow$
Predicted variation	$\frac{1}{\sqrt{2}}\sigma_s$	$\frac{1}{\sqrt{2}}\sigma_v - \sqrt{\frac{\psi}{2} \left(\frac{\sigma_v}{\sigma_u} \right)}$	$\uparrow$	$\uparrow$
Price dispersion	$\frac{1}{\sqrt{2}}\sigma_s$	$\frac{1}{\sqrt{2}}\sigma_v - \sqrt{\frac{\psi}{2} \left(\frac{\sigma_v}{\sigma_u} \right)}$	$\uparrow$	$\uparrow$
R^2	$\frac{1}{2} \left(\frac{\sigma_s}{\sigma_v} \right)^2$	$\frac{1}{2} \left(1 - \sqrt{\frac{\psi}{\sigma_v \sigma_u}} \right)^2$	$\uparrow$	$\uparrow$
Info expenditure	N/A	$\sqrt{\psi \sigma_v \sigma_u} - \psi$	$\uparrow$	$\uparrow \downarrow$

S&P 500 firms: Forecasting earnings with equity prices

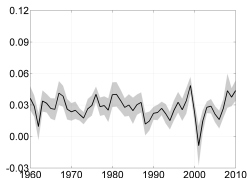
$$\frac{E_{i,t+3}}{A_{i,t}} = a_t \log \left(\frac{M_{i,t}}{A_{i,t}} \right) \times \mathbf{1}_t + b_t \left(\frac{E_{i,t}}{A_{i,t}} \right) \times \mathbf{1}_t + c_{s(i,t),t} (\mathbf{1}_{SIC1}) \times (\mathbf{1}_t) + \epsilon_{i,t}.$$

Coefficients, a_t

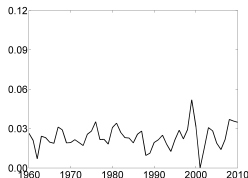
Predicted variation, $a_t \times \sigma_t(\log M/A)$

Marginal R^2

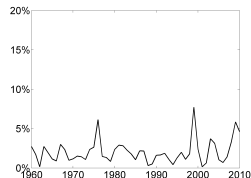
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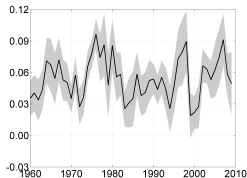
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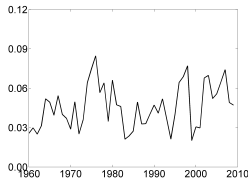
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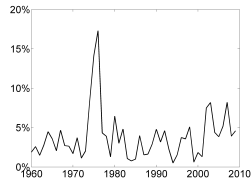
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S&P 500 firms: Forecasting earnings with bond spreads

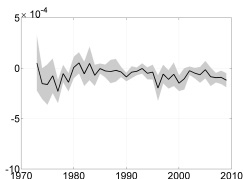
$$\frac{E_{i,t+3}}{A_{i,t}} = a_t \log(y_{i,t} - y_{0,t}) \times \mathbf{1}_t + b_t \left(\frac{E_{i,t}}{A_{i,t}} \right) \times \mathbf{1}_t + c_{s(i,t),t} (\mathbf{1}_{SIC1}) \times (\mathbf{1}_t) + \epsilon_{i,t}.$$

Coefficients, a_t

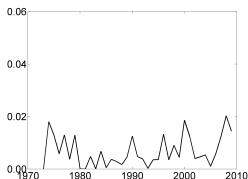
Predicted variation, $a_t \times \sigma_t(y_{i,t} - y_{0,t})$

Marginal R^2

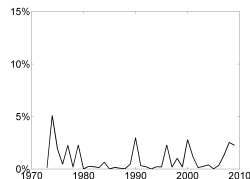
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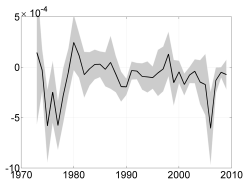
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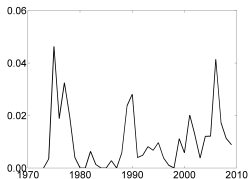
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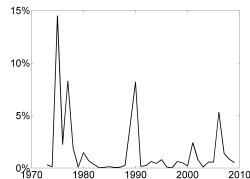
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S&P 500 firms: Forecasting R&D with equity prices

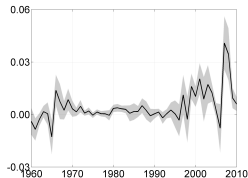
$$\frac{R\&D_{i,t+k}}{A_{i,t}} = a_t \log \left(\frac{M_{i,t}}{A_{i,t}} \right) \times \mathbf{1}_t + b_t \left(\frac{R\&D_{i,t}}{A_{i,t}} \right) \times \mathbf{1}_t + c_t \left(\frac{E_{i,t}}{A_{i,t}} \right) \times \mathbf{1}_t + d_{s(i,t),t} (\mathbf{1}_{SIC1}) \times (\mathbf{1}_t) + \epsilon_{i,t}.$$

Coefficients, a_t

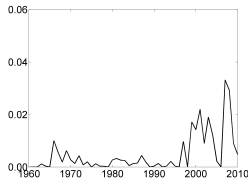
Predicted variation, $a_t \times \sigma_t (\log M/A)$

Marginal R^2

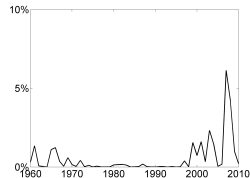
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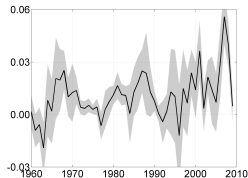
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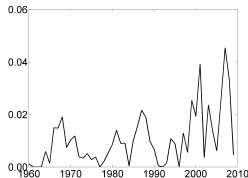
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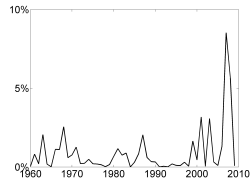
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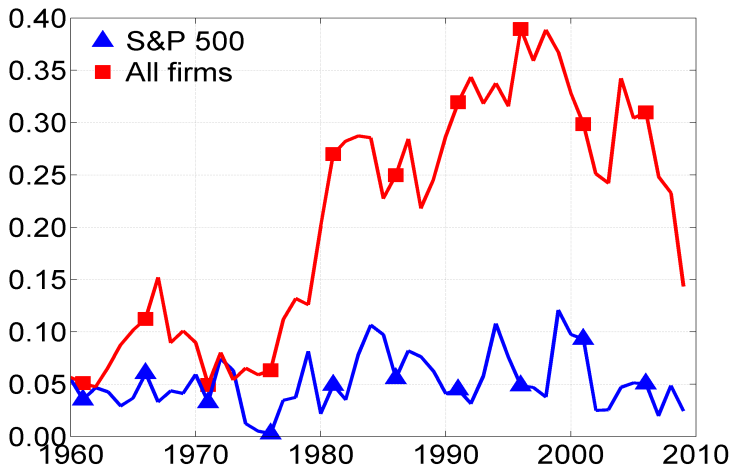


$k = 3$



Financial sector efficiency

- Based on our model, back out the cost of information ψ assuming constant noise trader demand.



Conclusion

- The finance industry has grown.
- We find little evidence of increased predictability.

Dispersion

